

# Compilerconstructie

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<http://www.liacs.nl/home/rvvliet/coco/>

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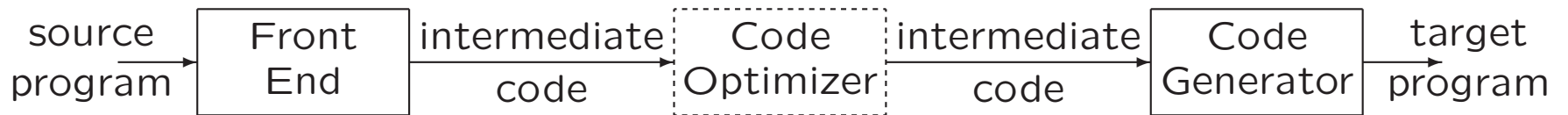
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Code Generation

# Code Generator Position in a Compiler



- Output code must
  - be correct
  - use resources of target machine effectively
- Code generator must run efficiently

Generating optimal code is undecidable problem

Heuristics are available

# 8.1 Issues in Design of Code Generator

- Input to the code generator
- The target program
- Instruction selection
- Register allocation and assignment
- Evaluation order

# Input to the Code Generator

- Intermediate representation of source program
  - Three-address representations (e.g., quadruples)
  - Virtual machine representations (e.g., bytecodes)
  - Postfix notation
  - Graphical representations (e.g., syntax trees and DAGs)
- Information from symbol table to determine run-time addresses
- Input is free of errors
  - Type checking and conversions have been done

# The Target Program

- Common target-machine architectures
  - **RISC**: reduced instruction set computer
  - **CISC**: complex instruction set computer
  - **Stack-based**
- Possible output
  - Absolute machine code (executable code)
  - Relocatable machine code (object files for linker)
  - **Assembly-language**

# Instruction Selection

- Given IR program can be implemented by many different code sequences
- Different machine instruction speeds
- Naive approach: statement-by-statement translation, with a code template for each IR statement

Example:  $x = y + z$

```
LD  R0, y
ADD R0, R0, z
ST  x, R0
```

Now,  $a = b + c$      $d = a + e$

```
LD  R0, b
ADD R0, R0, c
ST  a, R0
LD  R0, a
ADD R0, R0, e
ST  d, R0
```

# Target Machine

- Designing code generator requires understanding of target machine and its instruction set
- Our machine model
  - byte-addressable
  - has  $n$  general purpose registers  $R0, R1, \dots, Rn - 1$
  - assumes operands are integers

# Instructions of Target Machine

- Load operations:  $LD\ dst, addr$   
e.g.,  $LD\ r, x$  or  $LD\ r_1, r_2$
- Store operations:  $ST\ x, r$
- Computation operations:  $OP\ dst, src_1, src_2$   
e.g.,  $SUB\ r_1, r_2, r_3$
- Unconditional jumps:  $BR\ L$
- Conditional jumps:  $Bcond\ r, L$   
e.g.,  $BLTZ\ r, L$



# Addressing Modes of Target Machine

Form	Address	Example
$r$	$r$	LD R1, R2
$x$	$x$	LD R1, x
$a(r)$	$a + contents(r)$	LD R1, a(R2)
$c(r)$	$c + contents(r)$	LD R1, 100(R2)
$*r$	$contents(r)$	LD R1, *R2
$*c(r)$	$contents(c + contents(r))$	LD R1, *100(R2)
$\#c$		LD R1, #100

# Addressing Modes (Examples)

b = a[i]:

```
LD R1, i
MUL R1, R1, #8
LD R2, a(R1)
ST b, R2
```

x = \*p

```
LD R1, p
LD R2, 0(R1)
ST x, R2
```

a[j] = c

```
LD R1, c
LD R2, j
MUL R2, R2, #8
ST a(R2), R1
```

if x < y goto L

```
LD R1, x
LD R2, y
SUB R1, R1, R2
BLTZ R1, M
```

# Instruction Costs

- Costs associated with compiling / running a program
  - Compilation time
  - Size, running time, power consumption of target program
- Finding optimal target problem: undecidable
- (Simple) cost per target-language instruction:
  - $1 +$  cost for addressing modes of operands  
 $\approx$  length (in words) of instruction

Examples:

instruction	cost
LD R0, R1	1
LD R0, x	2
LD R1, *100(R2)	2

## 8.4 Basic Blocks and Flow Graphs

1. **Basic block:** maximal sequence of consecutive three-address instructions, such that
  - (a) Flow of control can only enter through first instruction of block
  - (b) Control leaves block without halting or branching
2. **Flow graph:** graph with
  - nodes: basic blocks
  - edges: indicate flow between blocks

# Determining Basic Blocks

- Determine **leaders**
  1. First three-address instruction is leader
  2. Any instruction that is target of goto is leader
  3. Any instruction that immediately follows goto is leader
- For each leader, its basic block consists of leader and all instructions up to next leader (or end of program)

# Determining Basic Blocks (Example)

Determine **leaders**

Pseudo code

```
for  $i = 1$  to 10 do
  for  $j = 1$  to 10 do
     $a[i, j] = 0.0$ ;
for  $i = 1$  to 10 do
   $a[i, i] = 1.0$ ;
```

Three-address code

```
1)  $i = 1$ 
2)  $j = 1$ 
3)  $t1 = 10 * 1$ 
4)  $t2 = t1 + j$ 
5)  $t3 = 8 * t2$ 
6)  $t4 = t3 - 88$ 
7)  $a[t4] = 0.0$ 
8)  $j = j + 1$ 
9) if  $j \leq 10$  goto (3)
10)  $i = i + 1$ 
11) if  $i \leq 10$  goto (2)
12)  $i = 1$ 
13)  $t5 = i - 1$ 
14)  $t6 = 88 * t5$ 
15)  $a[t6] = 1.0$ 
16)  $i = i + 1$ 
17) if  $i \leq 10$  goto (13)
```

# Determining Basic Blocks (Example)

Determine **leaders**

Pseudo code

```
for  $i = 1$  to 10 do  
    for  $j = 1$  to 10 do  
         $a[i, j] = 0.0;$   
for  $i = 1$  to 10 do  
     $a[i, i] = 1.0;$ 
```

Three-address code

```
→ 1)  $i = 1$   
→ 2)  $j = 1$   
→ 3)  $t1 = 10 * 1$   
4)  $t2 = t1 + j$   
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7)  $a[t4] = 0.0$   
8)  $j = j + 1$   
9) if  $j \leq 10$  goto (3)  
→ 10)  $i = i + 1$   
11) if  $i \leq 10$  goto (2)  
→ 12)  $i = 1$   
→ 13)  $t5 = i - 1$   
14)  $t6 = 88 * t5$   
15)  $a[t6] = 1.0$   
16)  $i = i + 1$   
17) if  $i \leq 10$  goto (13)
```

# Flow Graph

Edge from block  $B$  to block  $C$

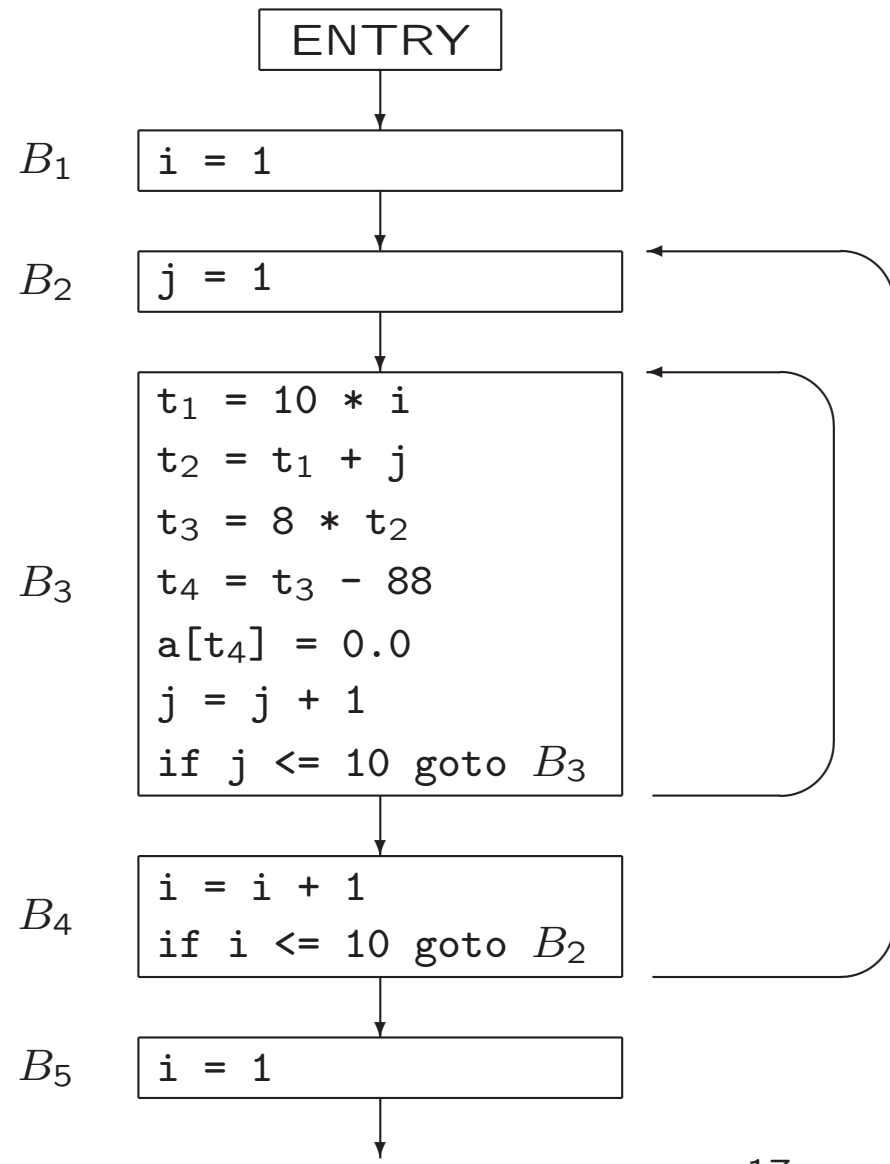
- if there is (un)conditional jump from end of  $B$  to beginning of  $C$
- if  $C$  immediately follows  $B$  in original order, and  $B$  does not end in unconditional jump



# Flow Graph (Example)

Three-address code

```
→ 1) i = 1
→ 2) j = 1
→ 3) t1 = 10 * 1
  4) t2 = t1 + j
  5) t3 = 8 * t2
  6) t4 = t3 - 88
  7) a[t4] = 0.0
  8) j = j + 1
  9) if j <= 10 goto (3)
→ 10) i = i + 1
→ 11) if i <= 10 goto (2)
→ 12) i = 1
→ 13) t5 = i - 1
     14) t6 = 88 * t5
     15) a[t6] = 1.0
     16) i = i + 1
     17) if i <= 10 goto (13)
```



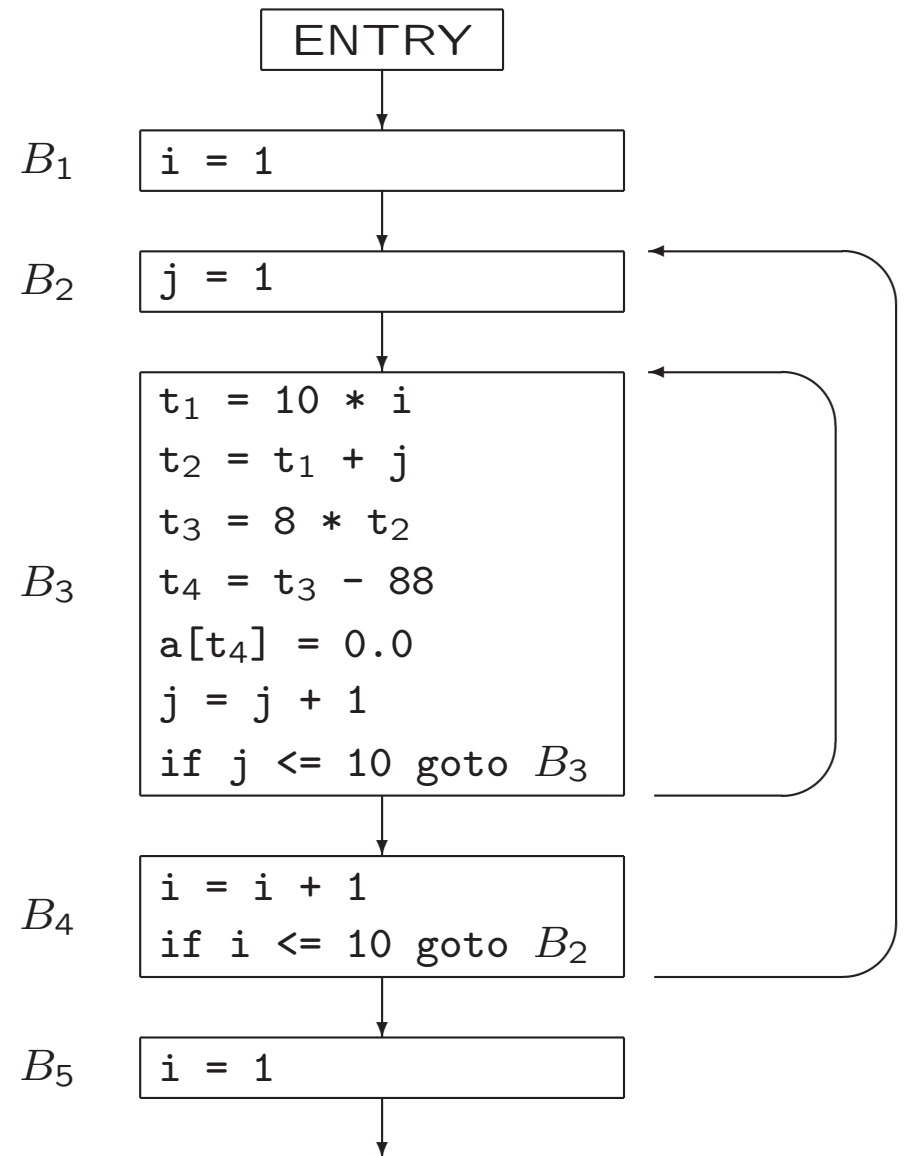
# Loops in Flow Graph

Loop is set of nodes

- With unique loop entry  $e$
- Every node in  $L$  has nonempty path in  $L$  to  $e$

Example

- $\{B_3\}$ , with loop entry  $B_3$
- $\{B_2, B_3, B_4\}$ , with loop entry  $B_2$
- $\{B_6\}$ , with loop entry  $B_6$



# Next-Use Information

- Next-use information is needed for **dead-code elimination** and **register assignment**

(i)  $x = a * b$

...

(j)  $z = c + x$

Instruction  $j$  **uses** value of  $x$  computed at  $i$   
 $x$  is **live** at  $i$ ,  
i.e., we need value of  $x$  later

- For each three-address statement  $x = y \text{ op } z$  in block, record next-uses of  $x, y, z$

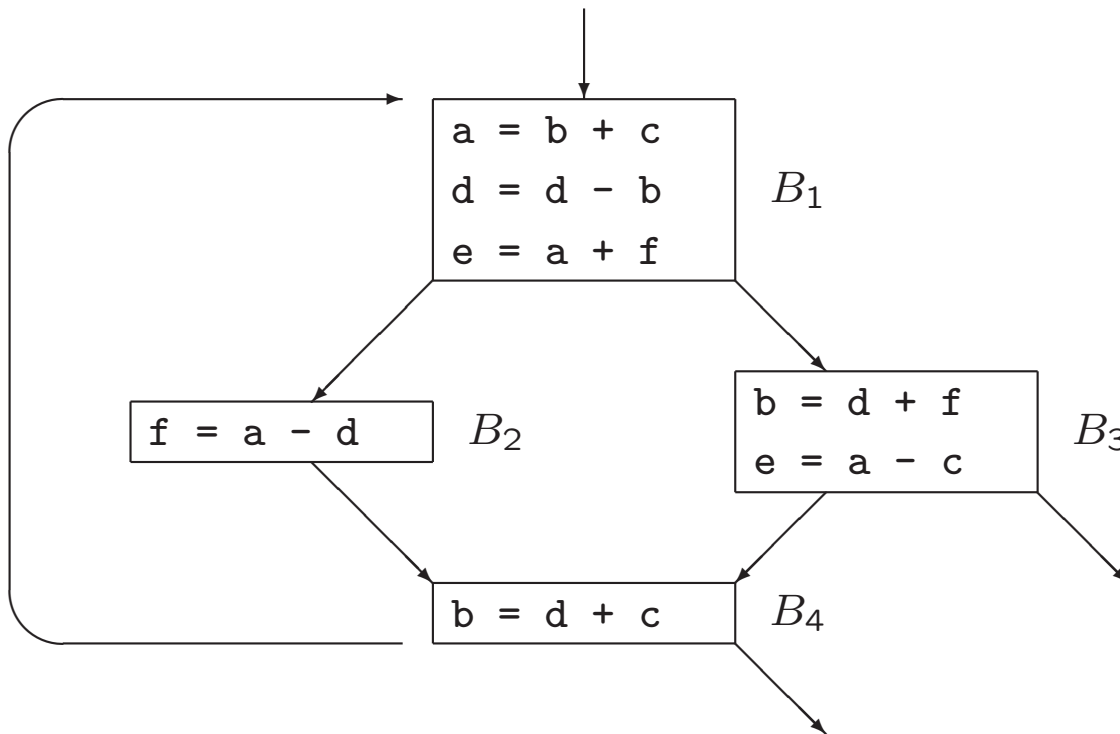
# Determining Next-Use Information

For **single** basic block

- Assume all non-temporary variables are **live on exit**
- Make backward scan of instructions in block
- For each instruction  $i: x = y \text{ op } z$ 
  1. Attach to  $i$  current next-use- and liveness information of  $x, y, z$
  2. Set  $x$  to 'not live' and 'no next use'
  3. Set  $y$  and  $z$  to 'live'  
Set 'next uses' of  $y$  and  $z$  to  $i$

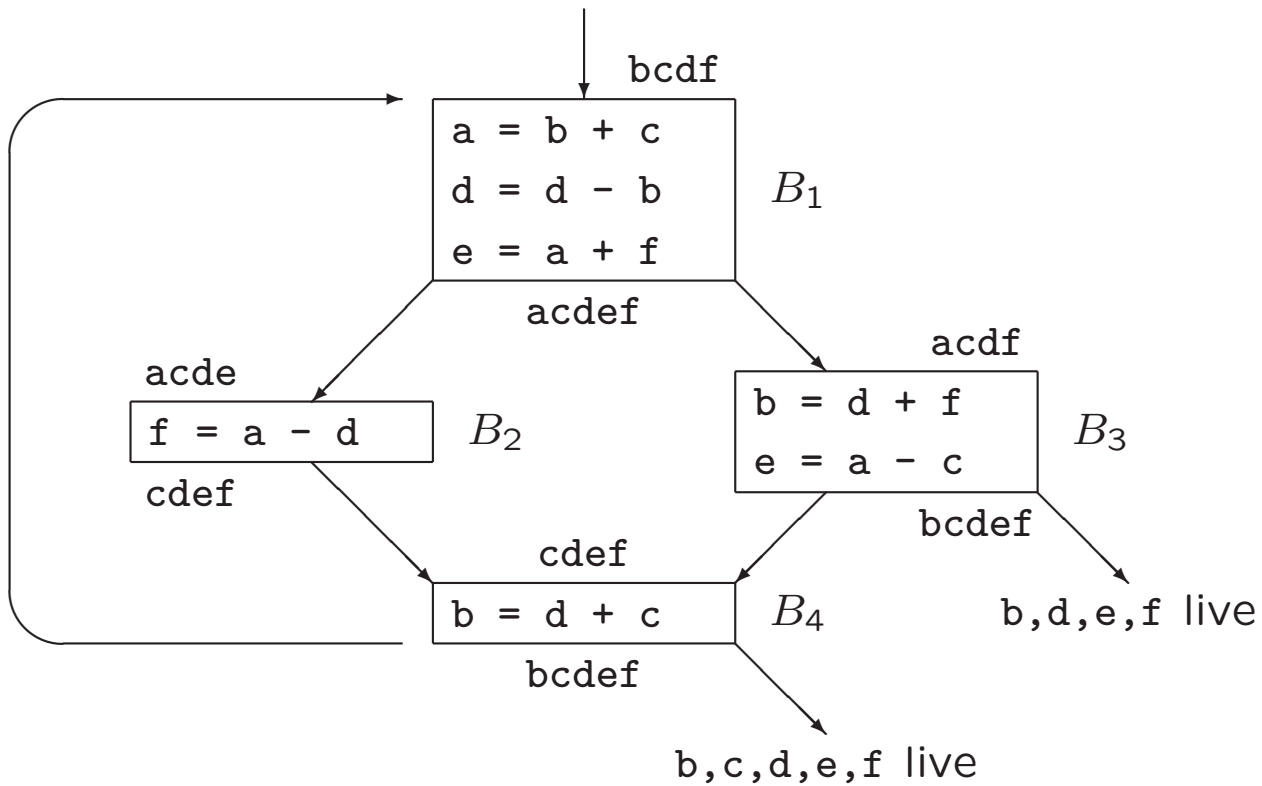
# Passing Liveness Information over Blocks

Example of **loop**



# Passing Liveness Information over Blocks

Example of **loop**



## 8.6 A Simple Code Generator

Use of registers

- Operands of operation must be in registers
- To hold values of temporary variables
- To hold (global) values that are used in several blocks
- To manage run-time stack

Assumption: subset of registers available for block

Machine instructions of form

- LD *reg, mem*
- ST *mem, reg*
- OP *reg, reg, reg*

# Register and Address Descriptors

- **Register descriptor** keeps track of what is currently in register
  - Example:

$\text{LD } R, x \quad \rightarrow \text{ register } R \text{ contains } x$

- Initially, all registers are empty

- **Address descriptor** keeps track of locations where current value of a variable can be found
  - Example:

$\text{LD } R, x \quad \rightarrow x \text{ is (also) in } R$

- Information stored in symbol table



# The Code-Generation Algorithm

For each three-address instruction  $x = y \text{ op } z$

1. Use  $getReg(x = y \text{ op } z)$  to select registers  $R_x, R_y, R_z$
2. If  $y$  is not in  $R_y$ , then issue instruction LD  $R_y, y'$ , where  $y'$  is a memory location for  $y$  (according to address descriptor)
3. If  $z$  is not in  $R_z$ , ...
4. Issue instruction  $OP R_x, R_y, R_z$

At end of block: store all variables that are live-on-exit and not in their memory locations (according to address descriptor)

# Managing Register / Address Descriptors

Description in book

Example:  $d = (a - b) + (a - c) + (a - c)$      $a = \dots$  old value of  $d$

$t = a - b$

```
LD R1, a
```

```
LD R2, b
```

```
SUB R2, R1, R2
```

$u = a - c$

```
LD R3, c
```

```
SUB R1, R1, R3
```

$v = t + u$

```
ADD R3, R2, R1
```

$a = d$

```
LD R2, d
```

$d = v + u$

```
ADD R1, R3, R1
```

exit

```
ST a, R2
```

```
ST d, R1
```

# Function *getReg*

For each instruction  $x = y \text{ op } z$

- To compute  $R_y$ 
  1. If  $y$  is in register,  $\longrightarrow R_y$
  2. Else, if empty register available,  $\longrightarrow R_y$
  3. Else, select occupied register
    - For each register  $R$  and variable  $v$  in  $R$
    - (a) If  $v$  is also somewhere else, then OK
    - (b) If  $v$  is  $x$ , and  $x$  is not  $z$ , then OK
    - (c) Else, if  $v$  is not used later, then OK
    - (d) Else,  $\text{ST } v, R$  is required

Take  $R$  with smallest number of stores

## Function *getReg*

For each instruction  $x = y \text{ op } z$

- To compute  $R_x$ , similar with few differences

For each instruction  $x = y$ , choose  $R_x = R_y$

## 8.8 Register Allocation and Assignment

So far, live variables in registers are stored at end of block

Use of registers

- Operands of operation must be in registers
- To hold values of temporary variables
- To hold (global) values that are used in several blocks
- To manage run-time stack

# Usage counts

With  $x$  in register during loop  $L$

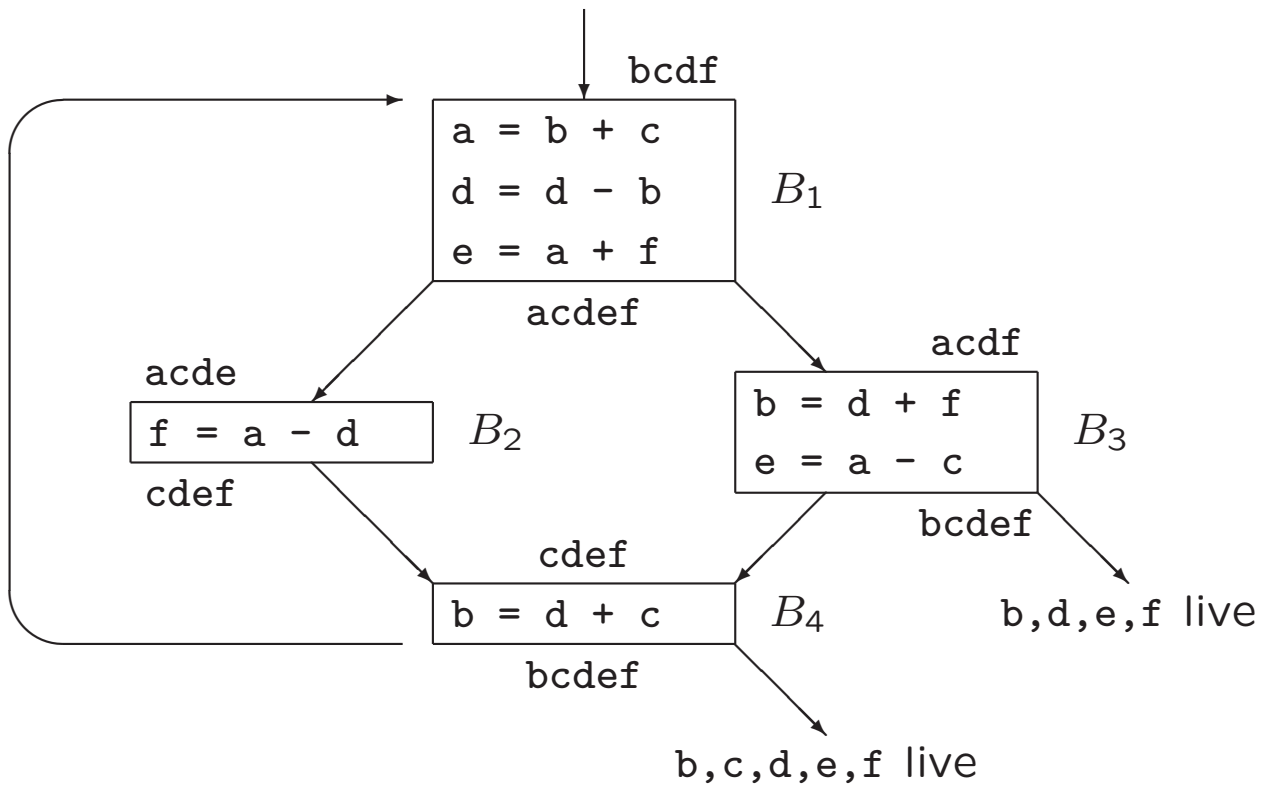
- Save 1 for each use of  $x$  that is not preceded by assignment in same block
- Save 2 for each block, where  $x$  is assigned a value and  $x$  is live on exit

- 

$$\text{Total savings} \approx \sum_{\text{blocks } B \in L} \text{use}(x, B) + 2 * \text{live}(x, B)$$

Choose variables  $x$  with largest savings

# Usage counts (Example)



Savings for  $a$  are  $1 + 1 + 1 * 2 = 4$

## 8.5 Optimization of Basic Blocks

To improve running time of code

- **Local** optimization: within block
- **Global** optimization: across blocks

Local optimization benefits from DAG representation of basic block



# DAG Representation of Basic Blocks

1. A node for initial value of each variable appearing in block
2. A node  $N$  for each statement  $s$  in block  
Children of  $N$  are nodes corresponding to last definitions of operands used by  $s$
3. Node  $N$  is labeled by operator applied at  $s$   
 $N$  has list of variables for which  $s$  is last definition in block

Example:

$a = b + c$

$b = a - d$

$c = b + c$

$d = a - d$

# Local Common Subexpression Elimination

- Use value-number method to detect common subexpressions
- Remove redundant computations

Example:

$$a = b + c$$

$$b = a - d$$

$$c = b + c$$

$$d = a - d$$

# Local Common Subexpression Elimination

- Use value-number method to detect common subexpressions
- Remove redundant computations

Example:

$$a = b + c$$

$$b = a - d$$

$$c = b + c$$

$$d = a - d$$

$$a = b + c$$

$$b = a - d$$

$$c = b + c$$

$$d = b$$

# Dead Code Elimination

- Remove roots with no live variables attached
- If possible, repeat

Example:

$a = b + c$

$b = b - d$

$c = c + d$

$e = b + c$

No common subexpression

If  $c$  and  $e$  are not live. . .

# Dead Code Elimination

- Remove roots with no live variables attached
- If possible, repeat

Example:

$a = b + c$

$b = b - d$

$c = c + d$

$e = b + c$

$a = b + c$

$b = b - d$

No common subexpression

If  $c$  and  $e$  are not live...

# Algebraic Transformations

(see assignment 3)

Algebraic identities:

$$\begin{aligned}x + 0 &= 0 + x = x \\x * 1 &= 1 * x = x\end{aligned}$$

Reduction in strength:

$$\begin{aligned}x^2 &= x * x && \text{(cheaper)} \\2 * x &= x + x && \text{(cheaper)} \\x/2 &= x * 0.5 && \text{(cheaper)}\end{aligned}$$

Constant folding:

$$2 * 3.14 = 6.28$$

# Algebraic Transformations

Common subexpressions resulting from commutativity / associativity of operators:

$$\begin{aligned}x * y &= y * x \\c + d + b &= (b + c) + d\end{aligned}$$

Common subexpressions generated by relational operators:

$$x > y \Leftrightarrow x - y > 0$$

## 8.7 Peephole Optimization

- Examines short sequence of instructions in a window (peephole) and replace them by faster/shorter sequence
- Applied to intermediate code or target code
- Typical optimizations
  - Redundant instruction elimination
  - Eliminating unreachable code
  - Flow-of-control optimization
  - Algebraic simplification
  - Use of machine idioms



# Redundant Instruction Elimination

Example:

```
ST  a, R0
```

```
LD  R0, a
```

# Eliminating Unreachable Code

Example:

```
if debug == 1 goto L1  
goto L2
```

```
L1: print debugging information
```

```
L2:
```

# Eliminating Unreachable Code

Example:

```
    if debug != 1 goto L2  
L1: print debugging information  
L2:
```

If debug is set to 0 at beginning of program, ...

# Flow-of-Control Optimizations

Example:

```
    goto L1  
    ...  
L1: goto L2
```

# Compiler constructie

college 7

Code Generation

Chapters for reading:

8.intro, 8.1, 8.2, 8.4, 8.5–8.5.4, 8.6–8.8