

# Computational Molecular Biology

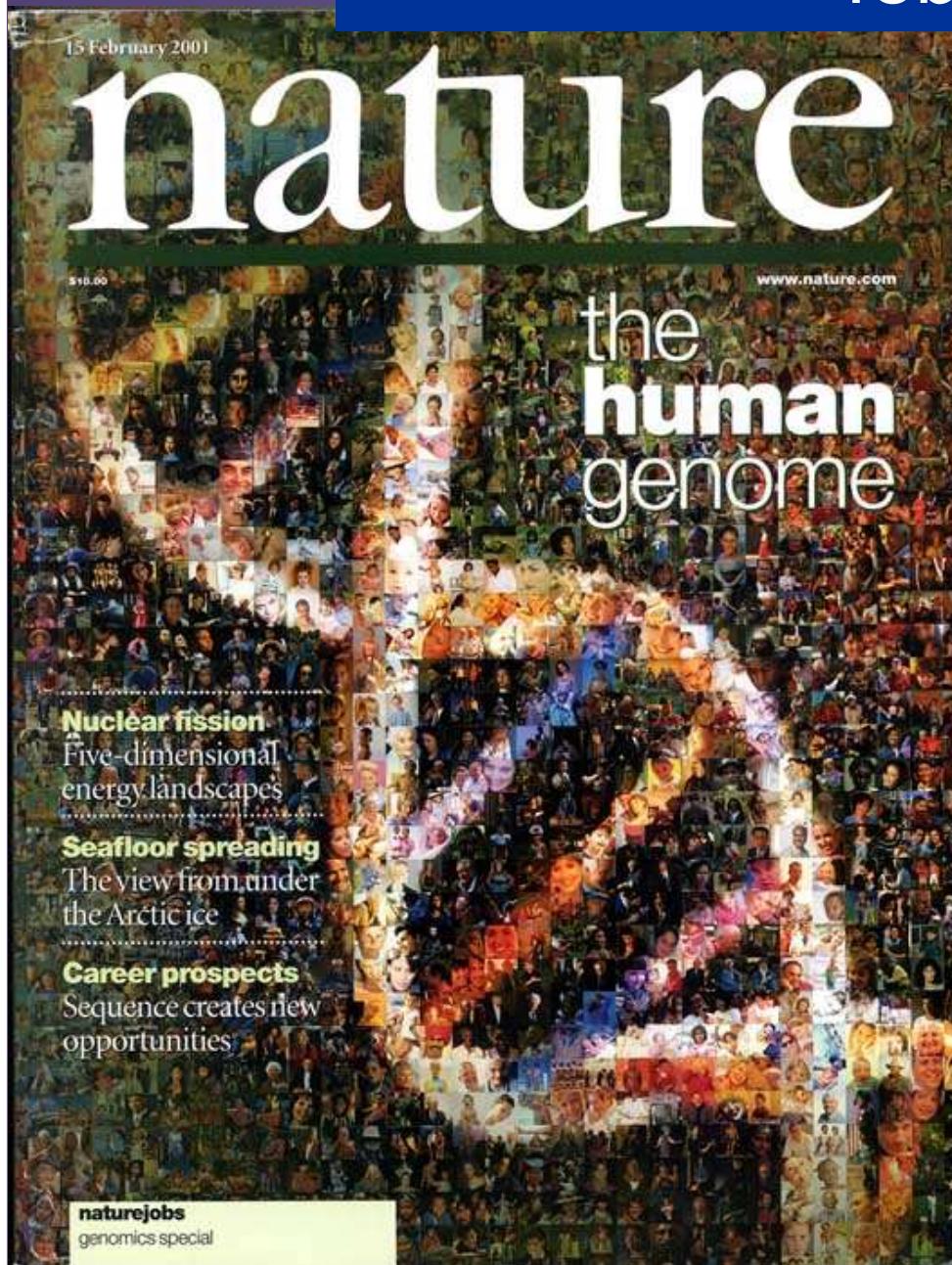
## Unique Probe Mapping met behulp van PQ-trees

Leiden, 6 april 2006

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Algorithms / Fundamentele Informatica

[www.liacs.nl/home/hoogeboom/](http://www.liacs.nl/home/hoogeboom/)

feb'01 - human genome



# Science

16 February 2001

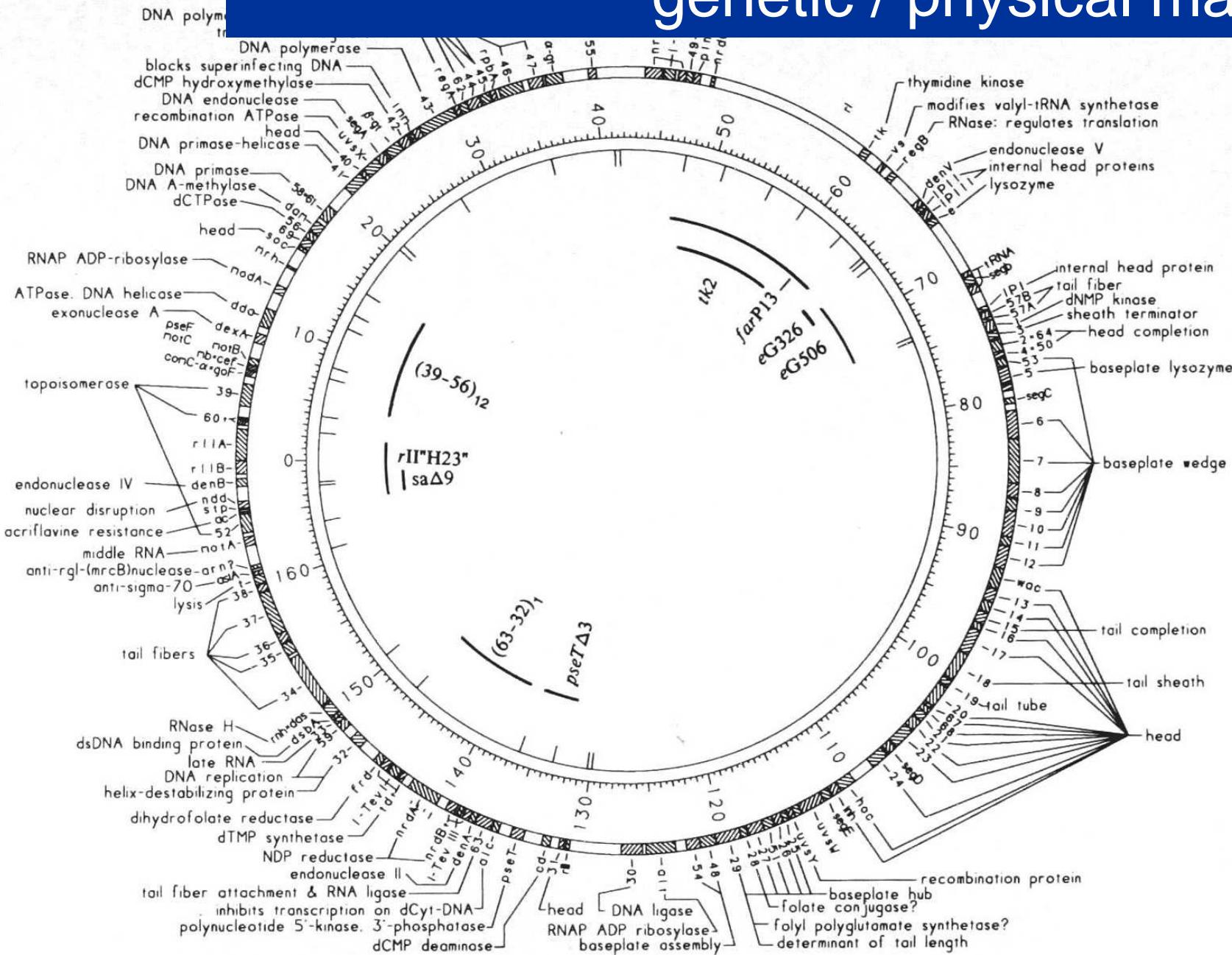
Vol. 289 No. 5487  
Pages 1145-1434 \$9

## THE HUMAN GENOME

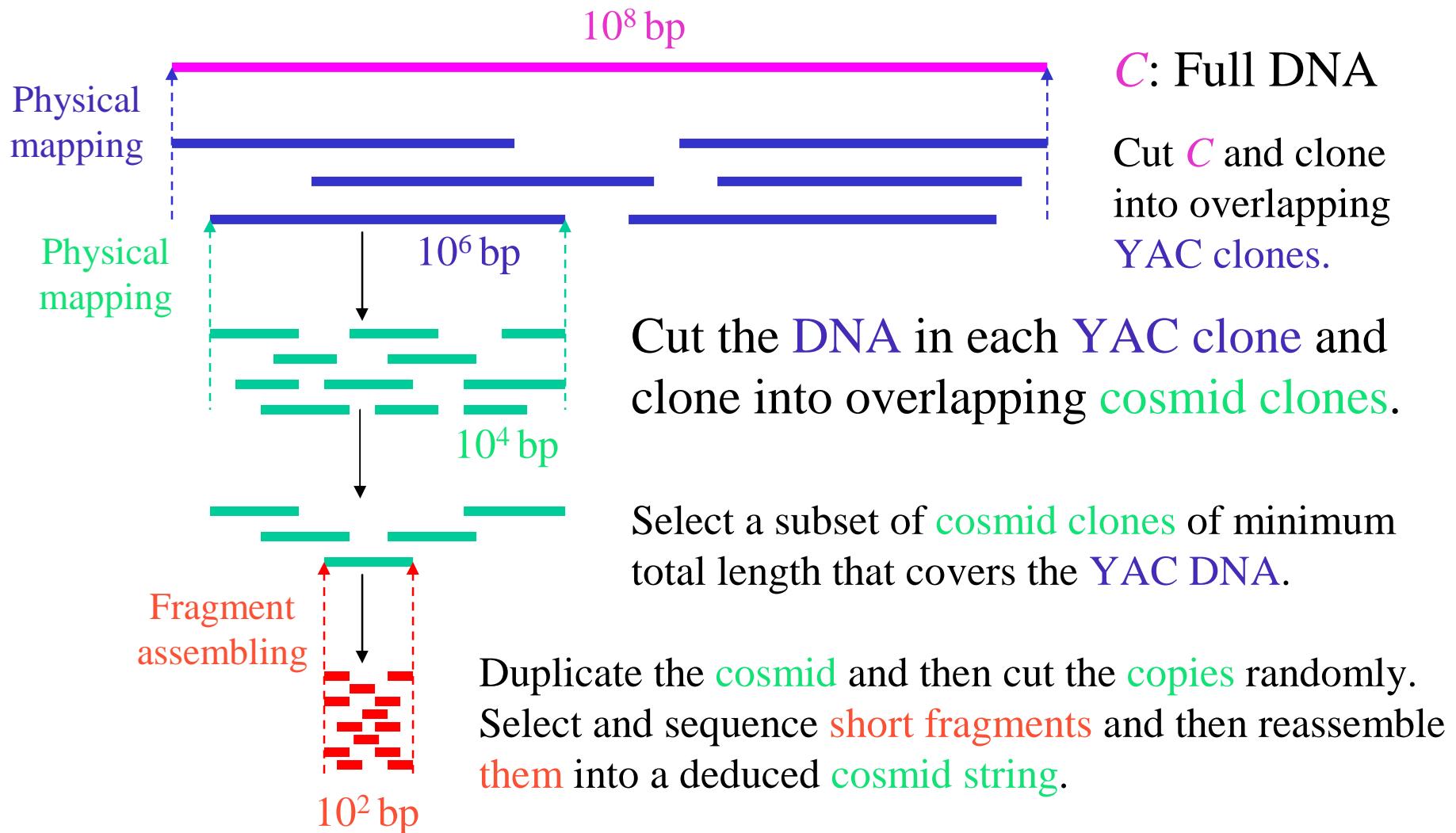


AMERICAN ASSOCIATION FOR THE ADVANCEMENT OF SCIENCE

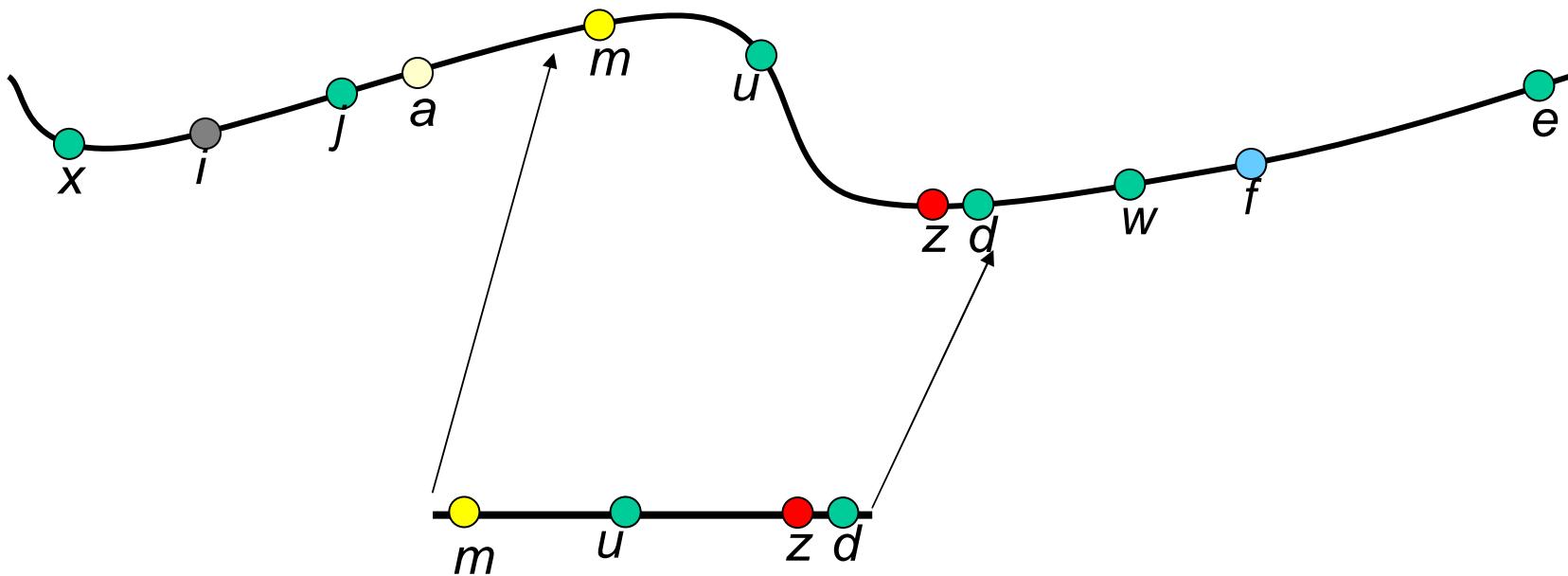
# genetic / physical map



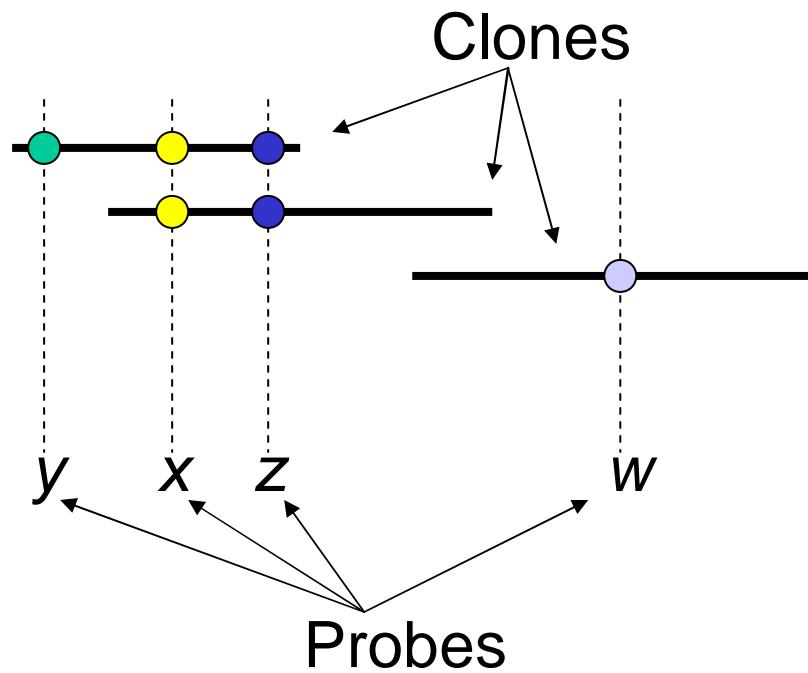
# *physical mapping*



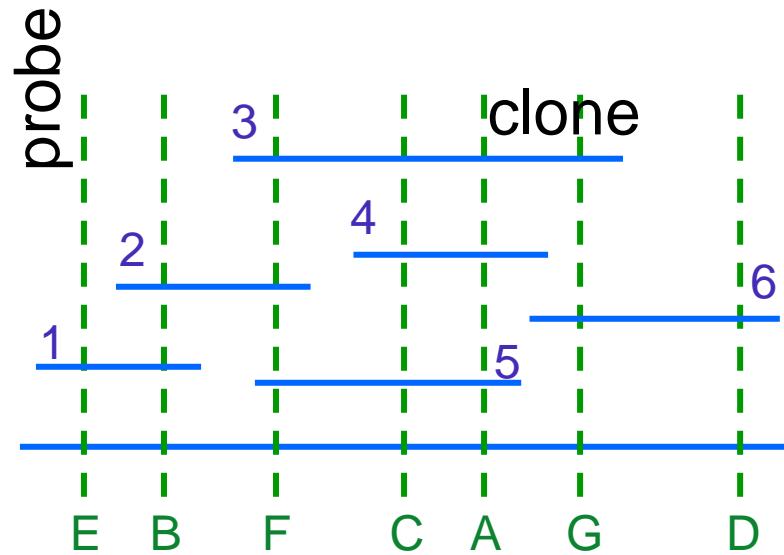
# using a map of the genome



# hybridization mapping



# unique probe mapping

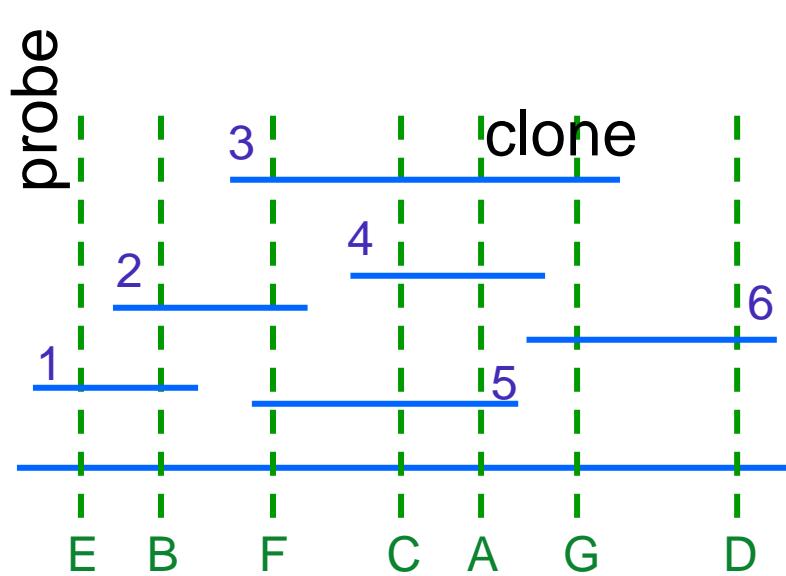


clones 1,2,...,6  
probes A,B,...,G

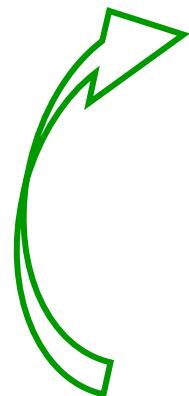
matrix representation

	A	B	C	D	E	F	G
1		1			1		
2			1			1	
3	1			1		1	1
4	1			1			
5	1			1			1
6					1		1

# reordering of probes



clones contain  
consecutive probes



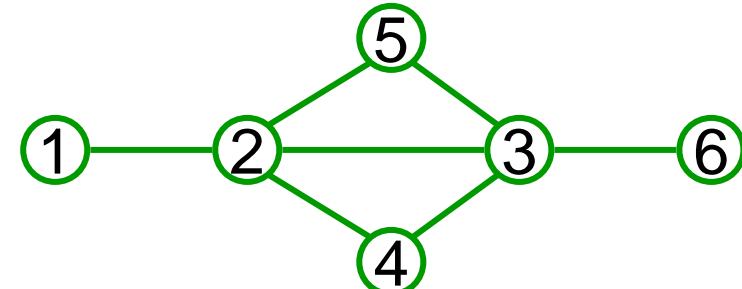
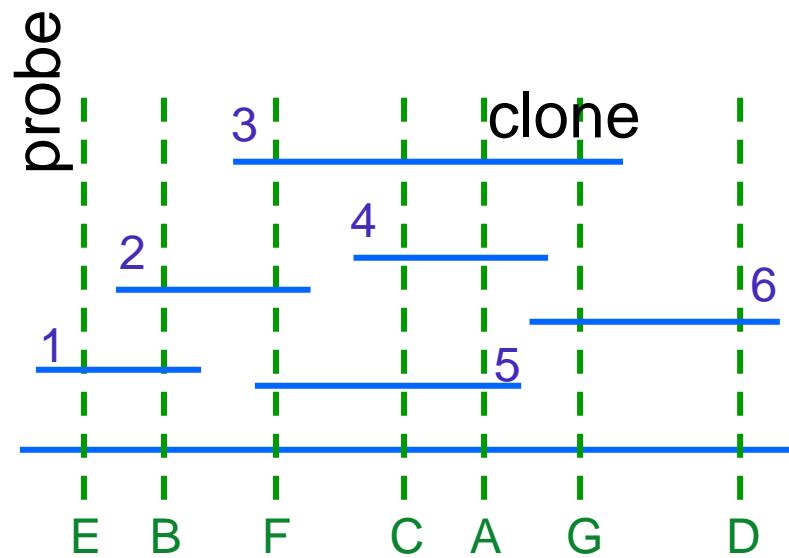
ordering →

	D	G	C	A	F	B	E
1	1					1	1
2					1	1	
3	1	1	1	1			
4			1	1	1		
5			1	1	1	1	
6	1	1					

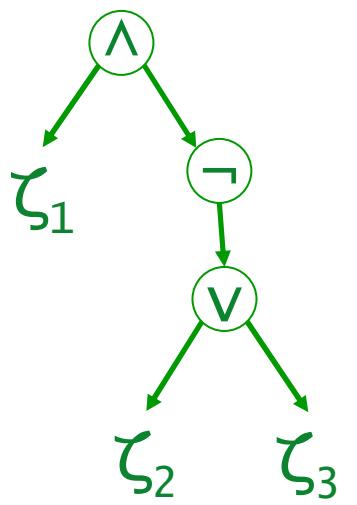
	A	B	C	D	E	F	G
1	1				1		
2		1				1	
3	1		1			1	1
4	1			1			
5	1		1			1	
6				1			1

# interval graphs

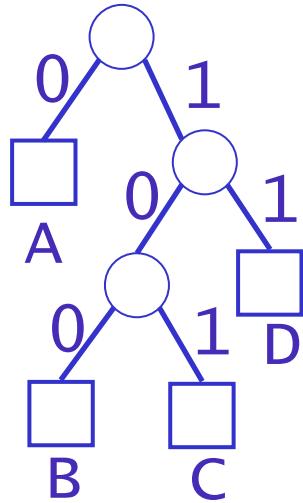


matrix representation

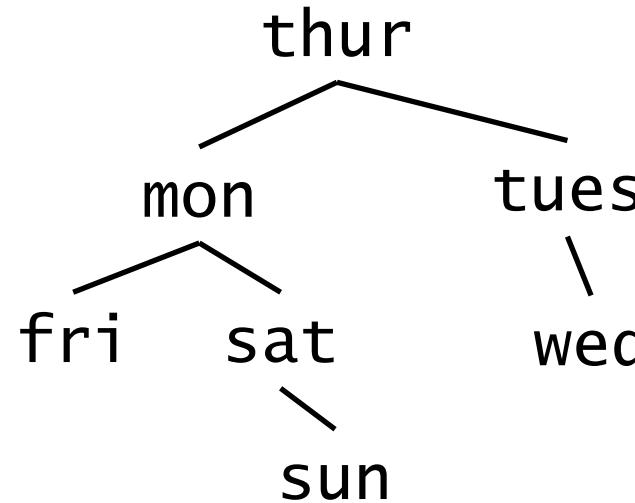
	A	B	C	D	E	F	G
1		1			1		
2			1			1	
3	1			1		1	1
4	1			1			
5	1		1			1	
6					1		1



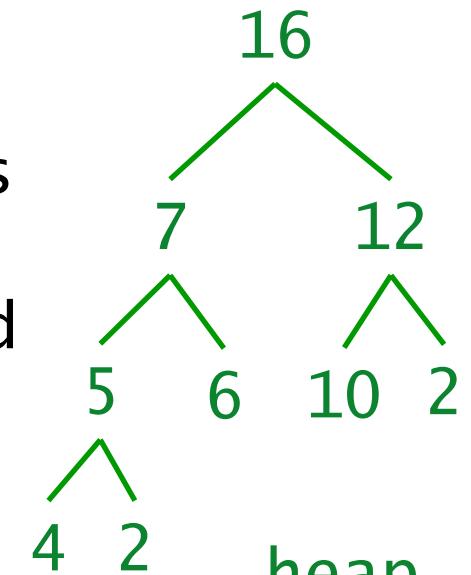
expressie



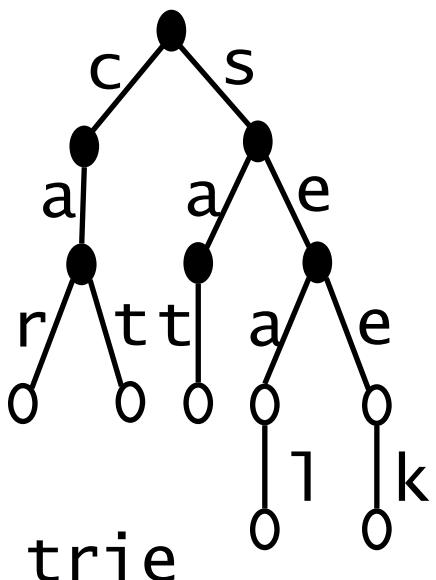
code



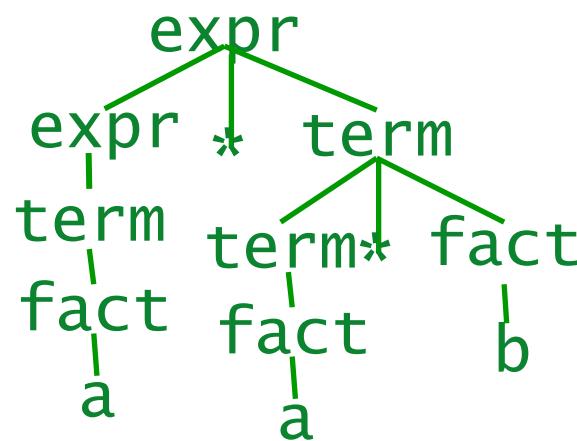
binaire zoek



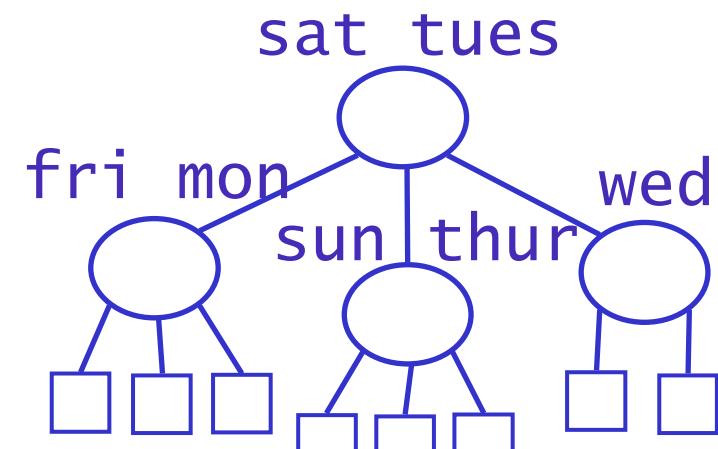
heap



trie



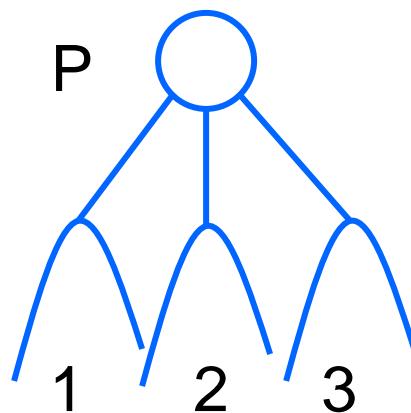
syntax



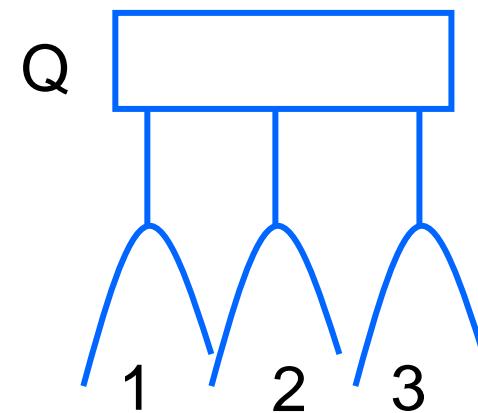
2,3 boom

# PQ-trees

representation for permutations



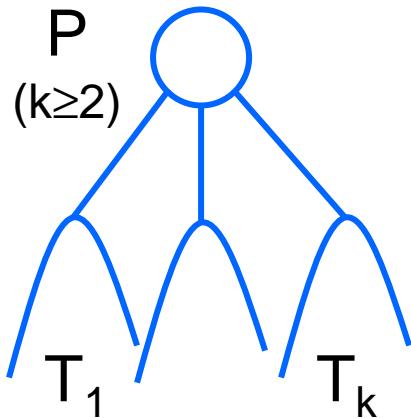
{ 123, 132, 213, 231, 312, 321 }



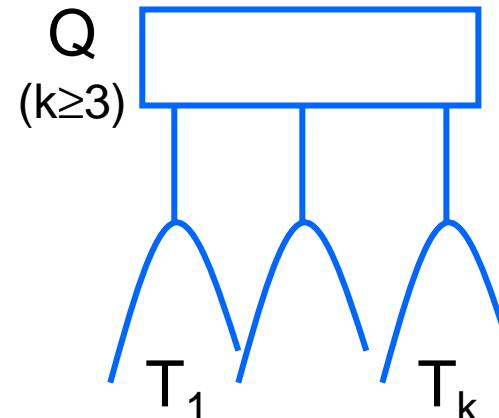
{ 123, 321 }

# PQ-trees

*datastructure* to represent all possibilities



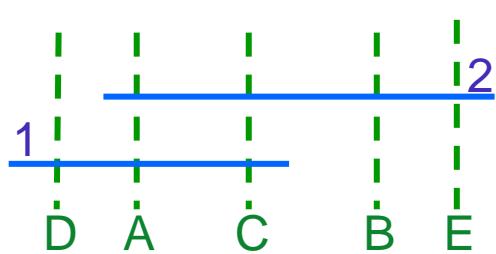
P permutation



Q linear order

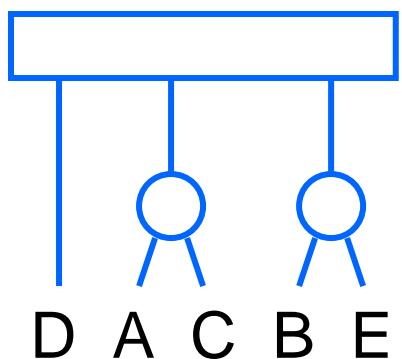
PQ trees  
represent possible reorderings  
(permutations of probes)

## example



	A	B	C	D	E
1	1	1	1	1	1
2	1	1	1	1	1

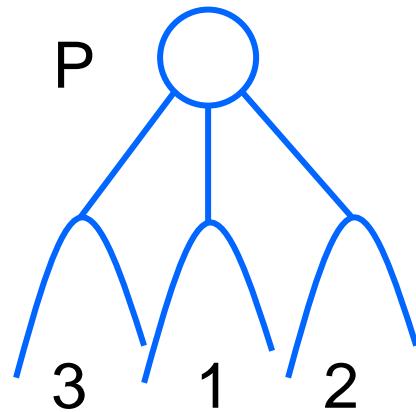
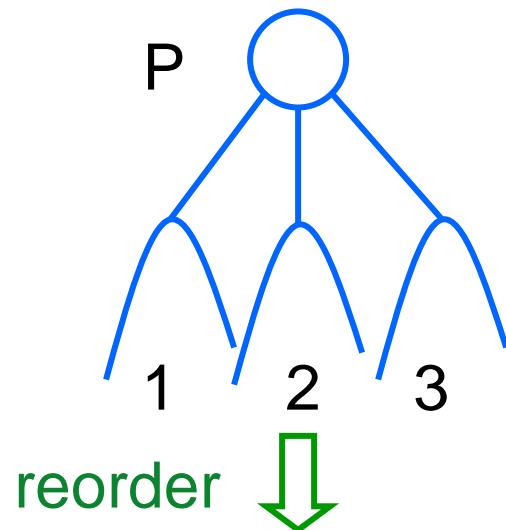
clones      { A, C, D }      { A, B, C, E }



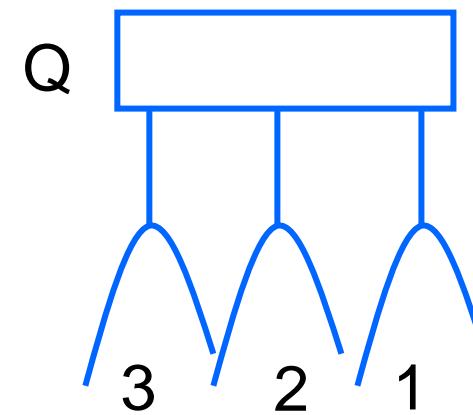
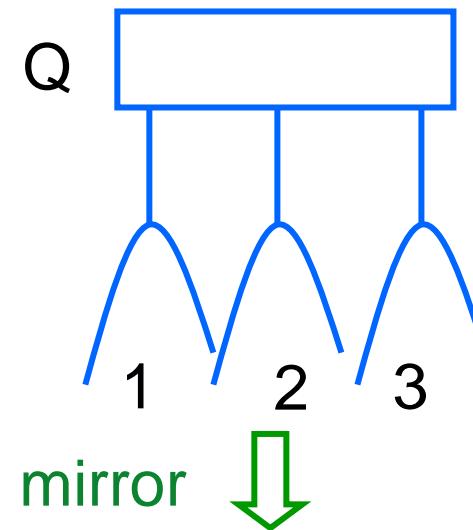
D AC BE	EB CA D
D CA BE	EB AC D
D AC EB	BE CA D
D CA EB	BE AC D

# PQ-trees

equivalent representations



{ 123, 132, 213, 231, 312, 321 }



{ 123, 321 }

# PQ-tree algorithm

*reduce(T,S)*

T PQ tree ~ set of permutations

S new clone ~ set of (consecutive) probes

add requirement S to tree T

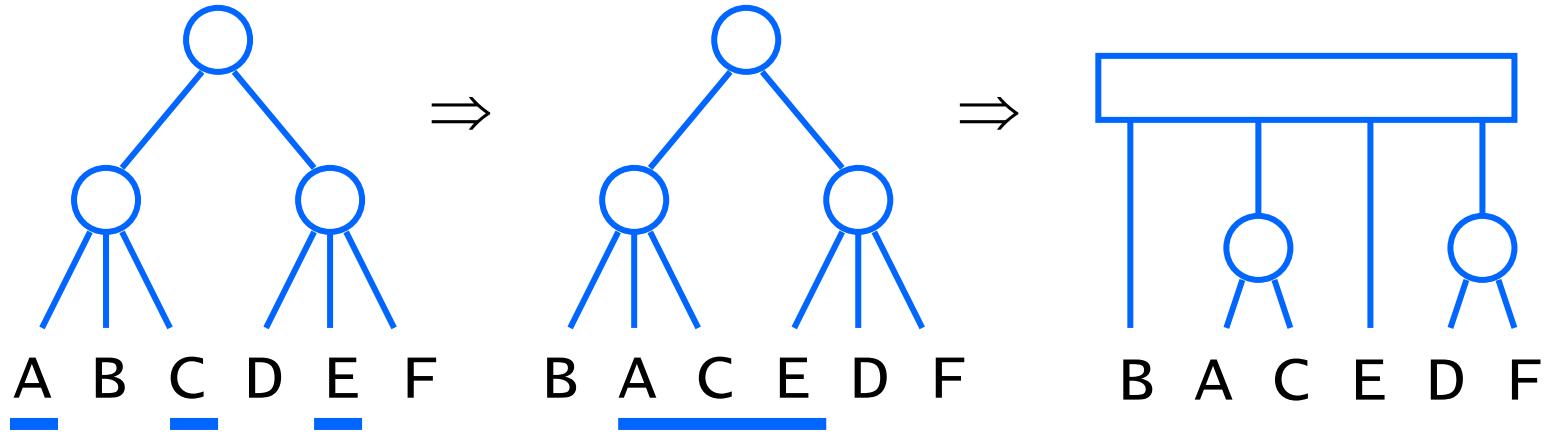
‘keep S together’

- colour leaves in S
- apply transformations
  - to get consecutive leaves
- apply replacement rules
  - to add new restriction to tree

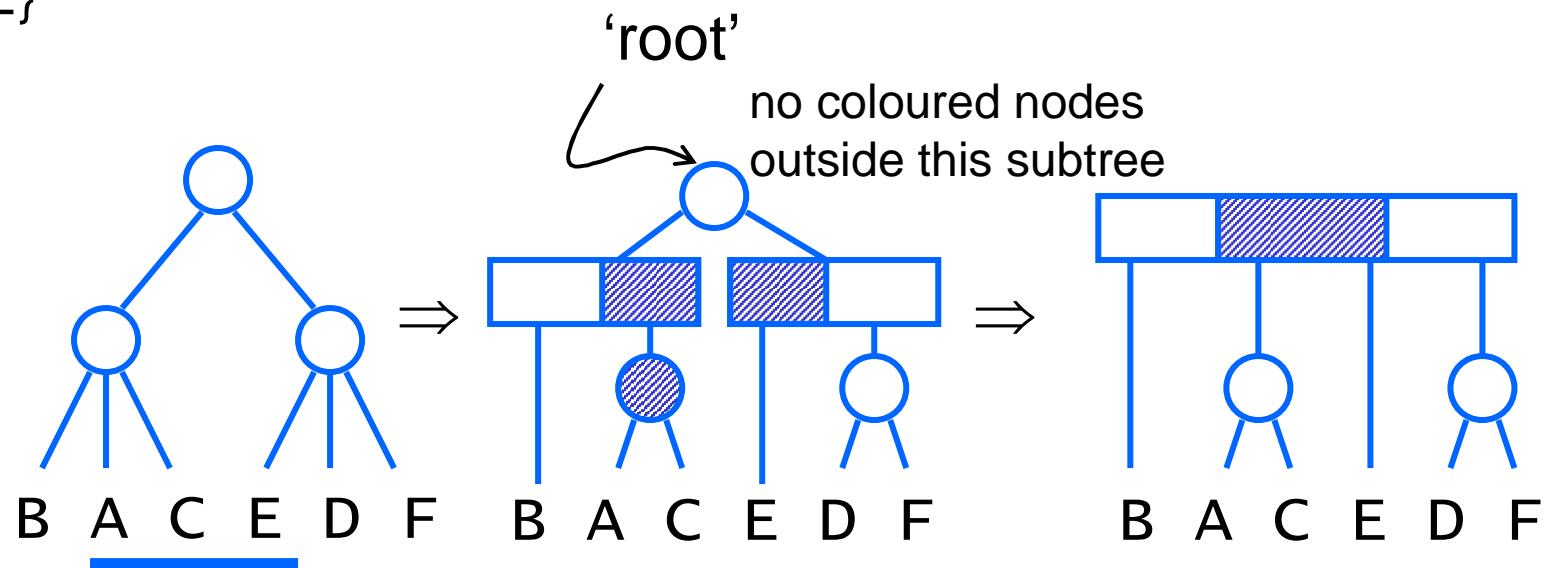
P  all leaves in S

Q  segment in S

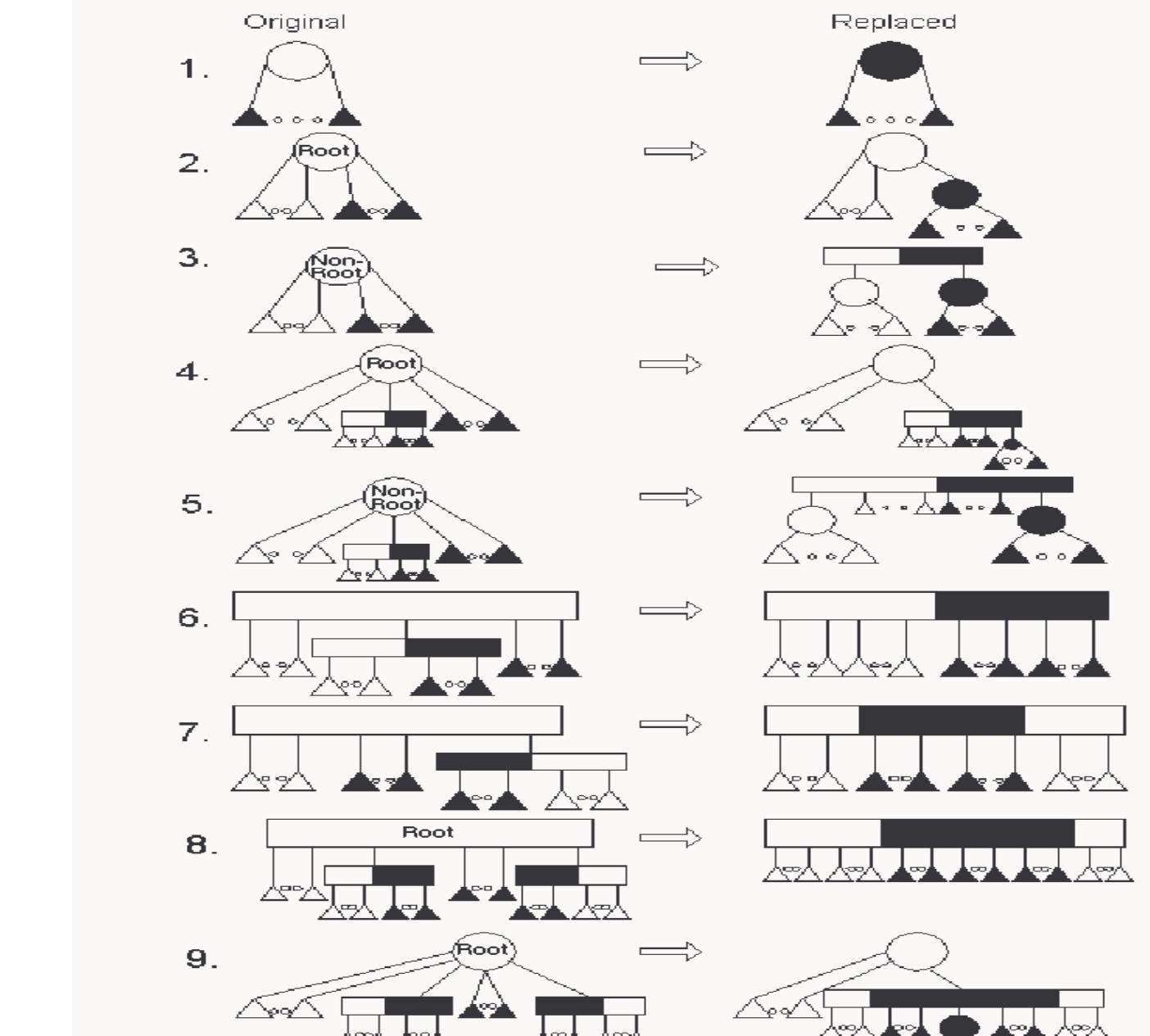
## example



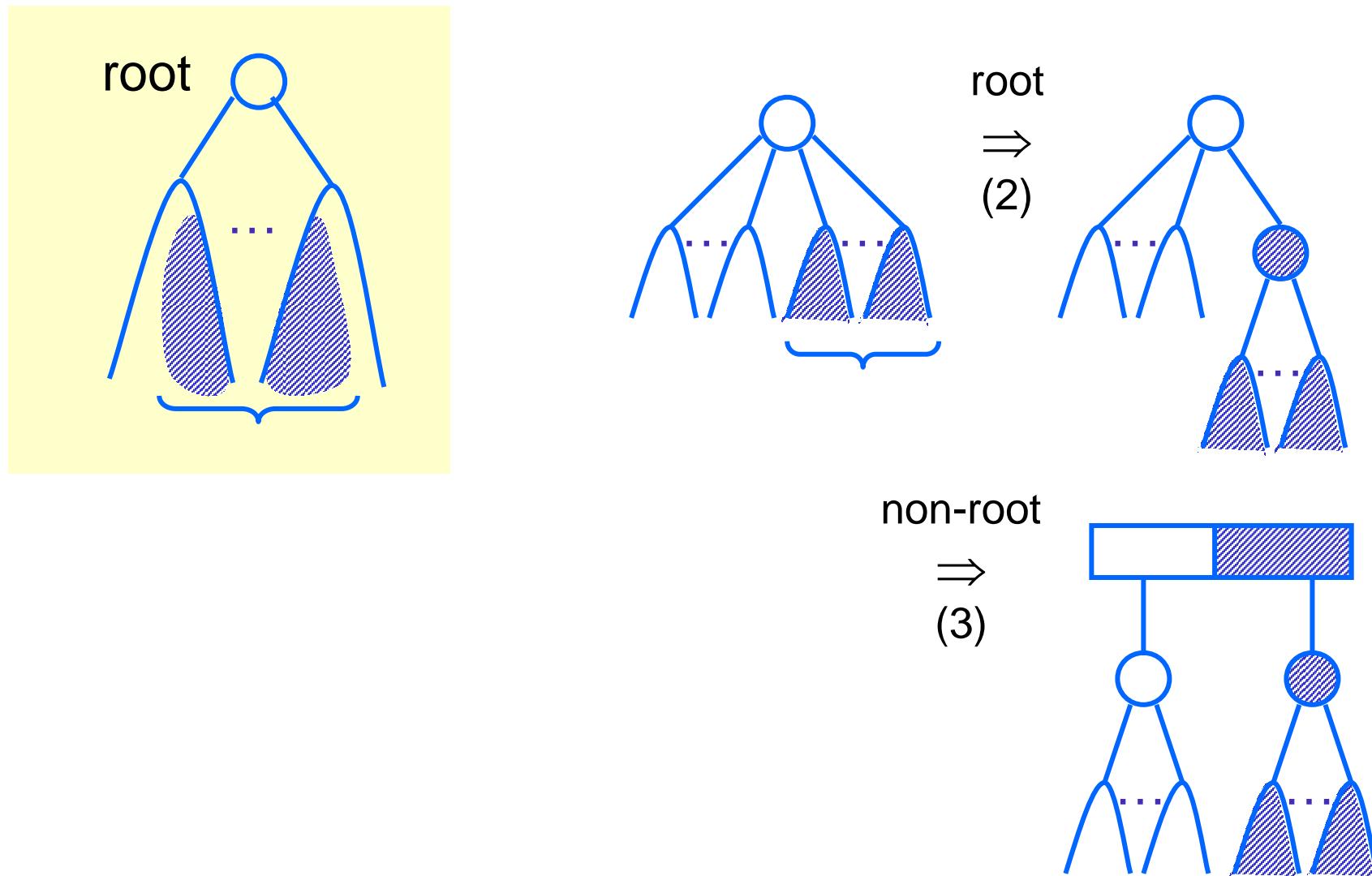
$$S = \{A, C, E\}$$



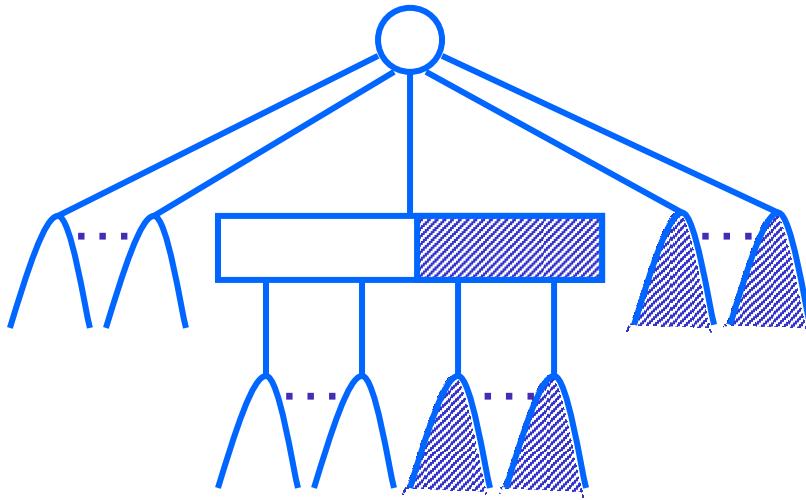
# replacement rules



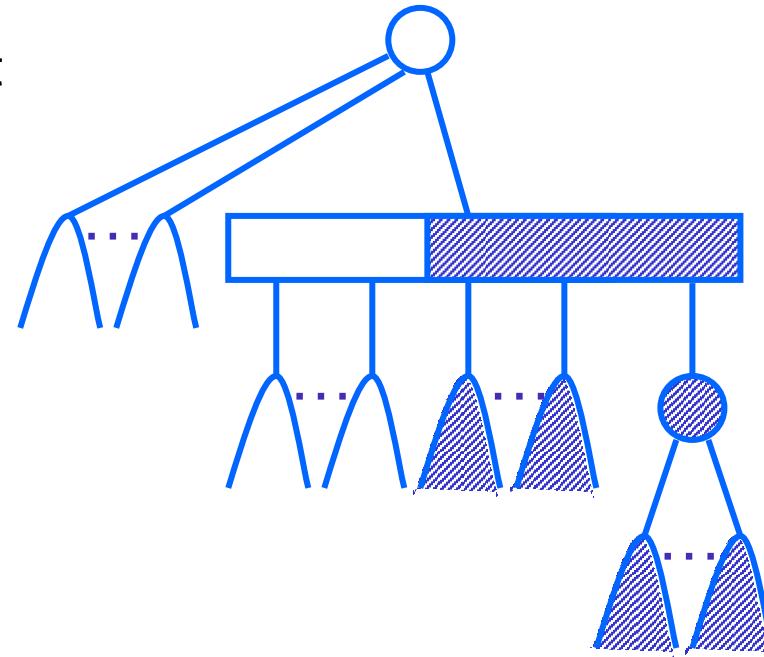
## replacement rules (2,3)



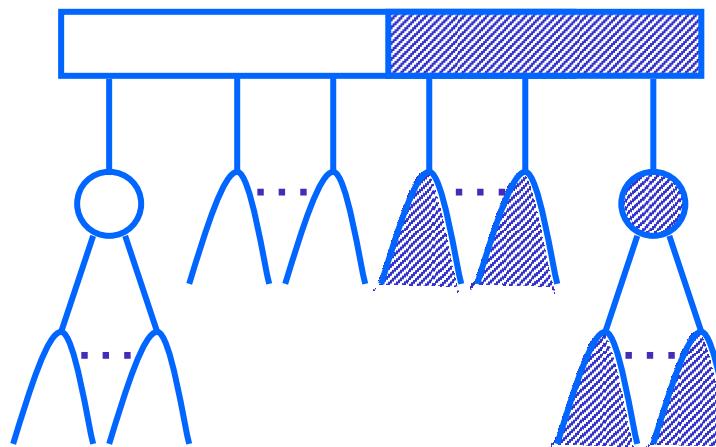
## replacement rules (4,5)



root  
⇒  
(4)

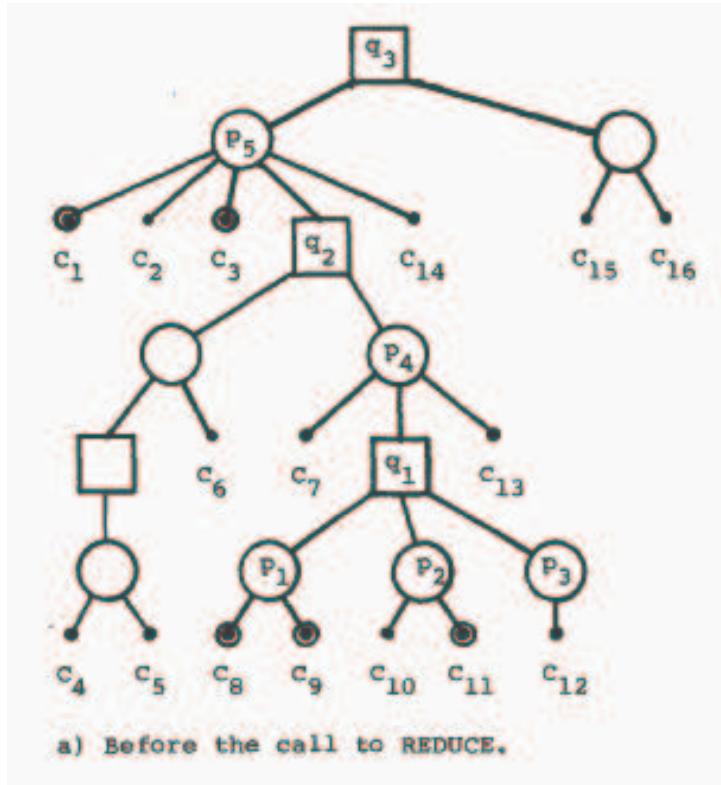


non-root  
⇒  
(5)



## references

K.S. Booth and G.S. Leuker. Testing for the consecutive ones property, interval graphs, and graph planarity using PQ-tree algorithms. JCSS 13:335-379, 1976.  
also 7<sup>th</sup> STOC, 1975.



## challenges

- find the right model (simplification)
- noise, errors,  
too much / not enough data
- heuristics & AI approach
- is it data mining?
- interdisciplinary